

**Syllabus for Math 104  
Applied Matrix Algebra  
Fall 2010**

**Course:**

MWF 2:15-3:05 pm Rm. 380-380W

**Lecturer:**

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**Course Website:** The course website may be found at <http://math104.stanford.edu>.

**Prerequisites:** Math 51 (or equivalent) and either Math 52 or Math 53. Some familiarity with rigorous (i.e. proof-based) mathematics will be helpful.

**Texts:** These books are also on reserve at the Math/CS library:

*Numerical Linear Algebra* by Lloyd N. Trefethen and David Bau III, SIAM (required)

*Introduction to Linear Algebra* by Gilbert Strang, Wellesley-Cambridge Press, 4th edition (optional)

**Homework:** Weekly homework will be due each Wednesday in class. The homework will be posted to the course website. Late work will only be accepted in exceptional circumstances. There will be 7 sets assigned in total. Homework will count for 40% of the final grade with the lowest score dropped.

**Exams:** There will be one in class midterm exams. The midterm will each count for 20% of the final grade. Date of the midterm: **Wednesday, October 27.**

**Final Exam:** The final will count for 40% of the final grade. Date and time of the final: **Friday, December 10, 12:15pm-3:15pm.** Location: TBA

**Working Together:** Working together is permitted, however it is essential that each student write up his or her own solutions. Use of sources (i.e. other people, books, the internet) without proper attribution will

be considered plagiarism.

**Material to be Covered:**

Matrices, vectors and their products (review)

Matrices as linear transformations

Rank of a matrix, linear independence and the four fundamental subspaces of a matrix

Orthogonality and isometries

The QR decomposition

Eigenvalues and the spectral decomposition of symmetric matrices

The singular value decomposition and its applications

The conditioning of a matrix

Least squares problems

Algorithms for solving systems of linear equations and least-squares problems

Iterative methods for solving linear systems: the method of conjugate gradients